



Results of the Hardware Injections performed on the LIGO Interferometers

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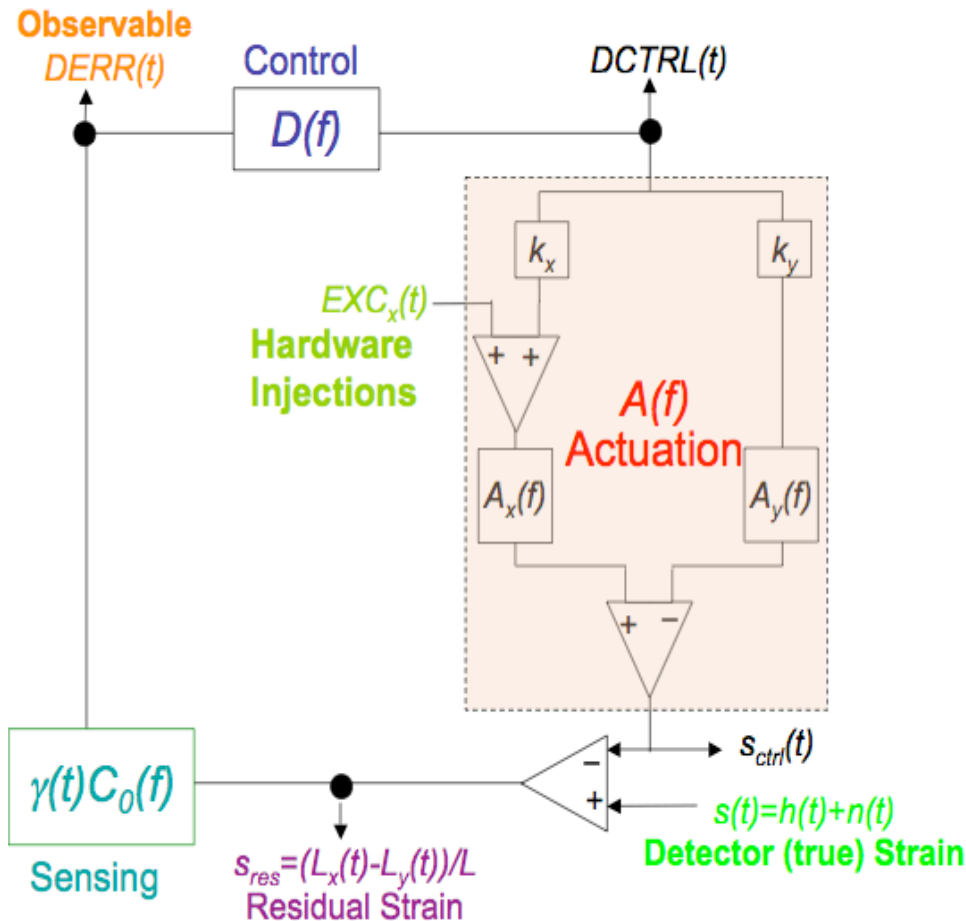
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LIGO Hardware Injections

- Hardware injections are the only direct test of detector time response.
 - Detector deforms gravitational waveform in a predictable (?) way.
 - Detector response function quantifies this deformation.
- Injections are also a good test for measuring the absolute size of signal.
- Hardware injections on the S5 run of LIGO
 - Burst/Inspiral injections, pulsar injections, stochastic injections, special injections.
 - Very little dead time - $<0.5\%$ of livetime due to burst/inspiral injections
- Analysis consists of successive application of linear filters on raw data (error signal):
 - Whitening filters, applied once and twice.
 - *Transformed* template (from strain to error signal)
- Diagnostic tool with prompt analysis after each injections.
- KleineWelle analysis of veto safety of auxiliary data channels

Servo Diagram of IFO



- Infer strain $s(f)$ from observable $DERR(f)$:

$$s(f) = R(f)DERR(f)$$

- Calibration team measures this detector response function $R(t, f)$:

$$R(t, f) = \frac{1 + \gamma(t)G_o(f)}{\gamma(t)C_o(f)}$$

where open loop gain $G_o(f)$:

$$G_o(f) = D(f)A(f)C_o(f)$$

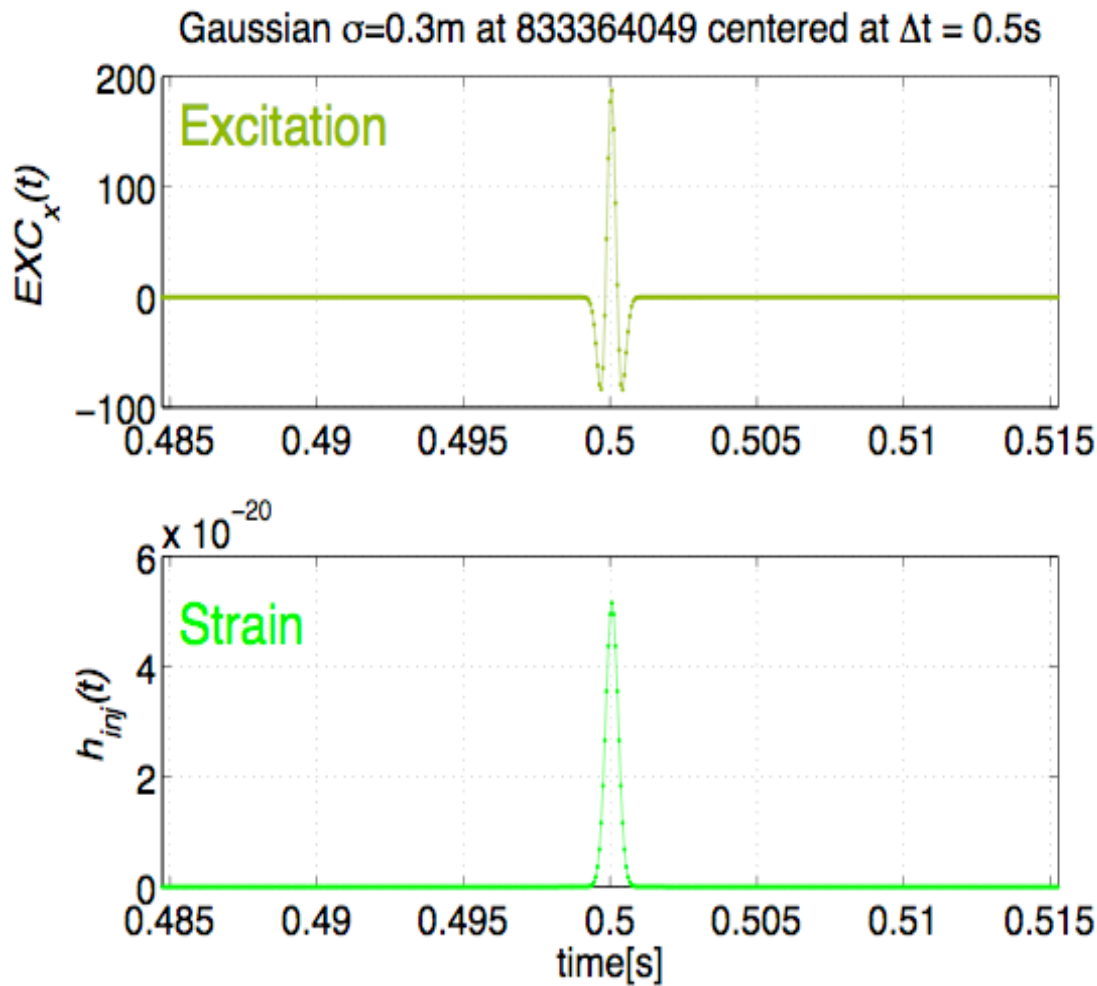
- $EXC_x(t)$ for hardware injections:

$$EXC_x(f) = -h_{inj}(f) / A_x(f)$$

Burst Injections

- Twenty different burst waveforms in strain, $h(t)$
 - Four Gaussians: $\sigma = 0.3, 1.0, 3.0, 10$ ms.
 - Sine-Gaussians ($Q=9$) with 12 frequencies from 50Hz to 3068Hz
 - Supernova waveform: Zwerger-Mueller (A3B3G1)
 - Cosmic string - cusp ($f_{\text{cutoff}} = 220\text{Hz}$)
 - Band-limited white noise burst: $f = 250\text{Hz}$, $\delta f = 100\text{Hz}$ and $\sigma = 30\text{ms}$
 - Ringdown: $f = 2600\text{Hz}$ $\delta t = 30\text{ms}$
- Various settings of strengths and time for each injections
 - Same waveform injected to three IFOs with time shifts (if in science mode).
 - Two regular injections daily on average, each with three waveforms.
 - Loud injections of Gaussians and sine-Gaussian at least once per week for studying coupling to auxiliary channels and impulse response of detector.

Gaussian ($\sigma = 0.3\text{ms}$) injection

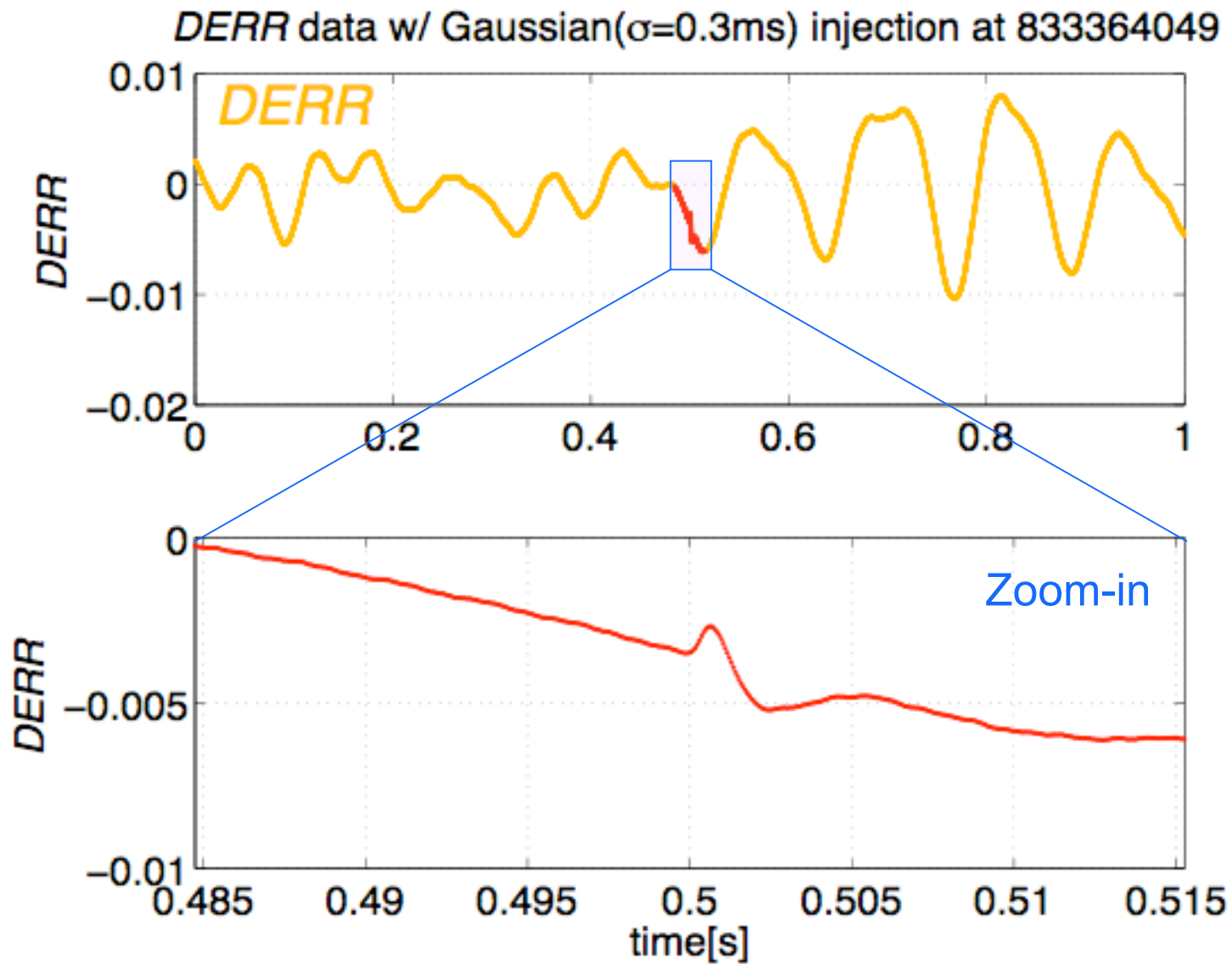


- Use actuation function, $A_x(f)$, to calculate the excitation function: $EXC_x(f)$

$$EXC_x(f) = -h_{inj}(f) / A_x(f)$$

- Note: this injection is approximately an *impulse* in strain.

Result of injection or impulse response



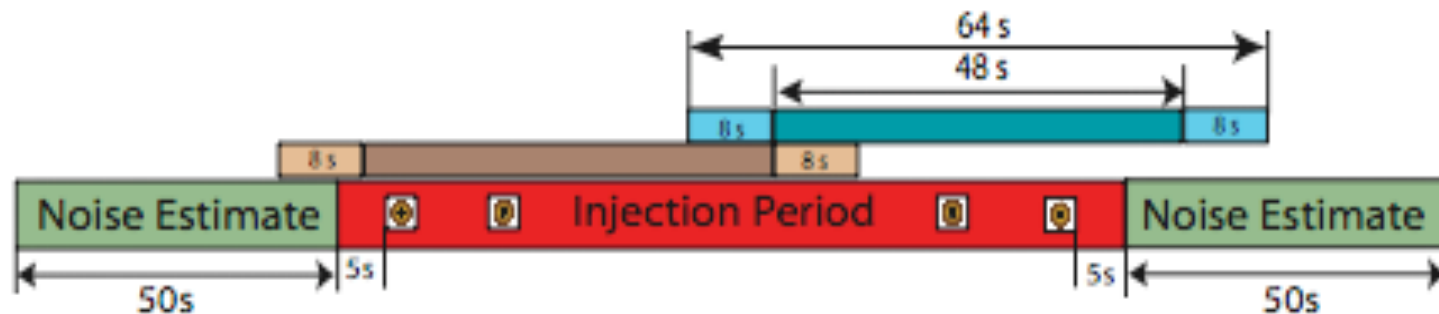
Analyzing Injection Data

- Matlab scripts (python scripts for controlling jobs)
- Use $DERR(t)$ data
- Time windows of 64s, Tukey windowing to use the middle 48s
- Whitening filters

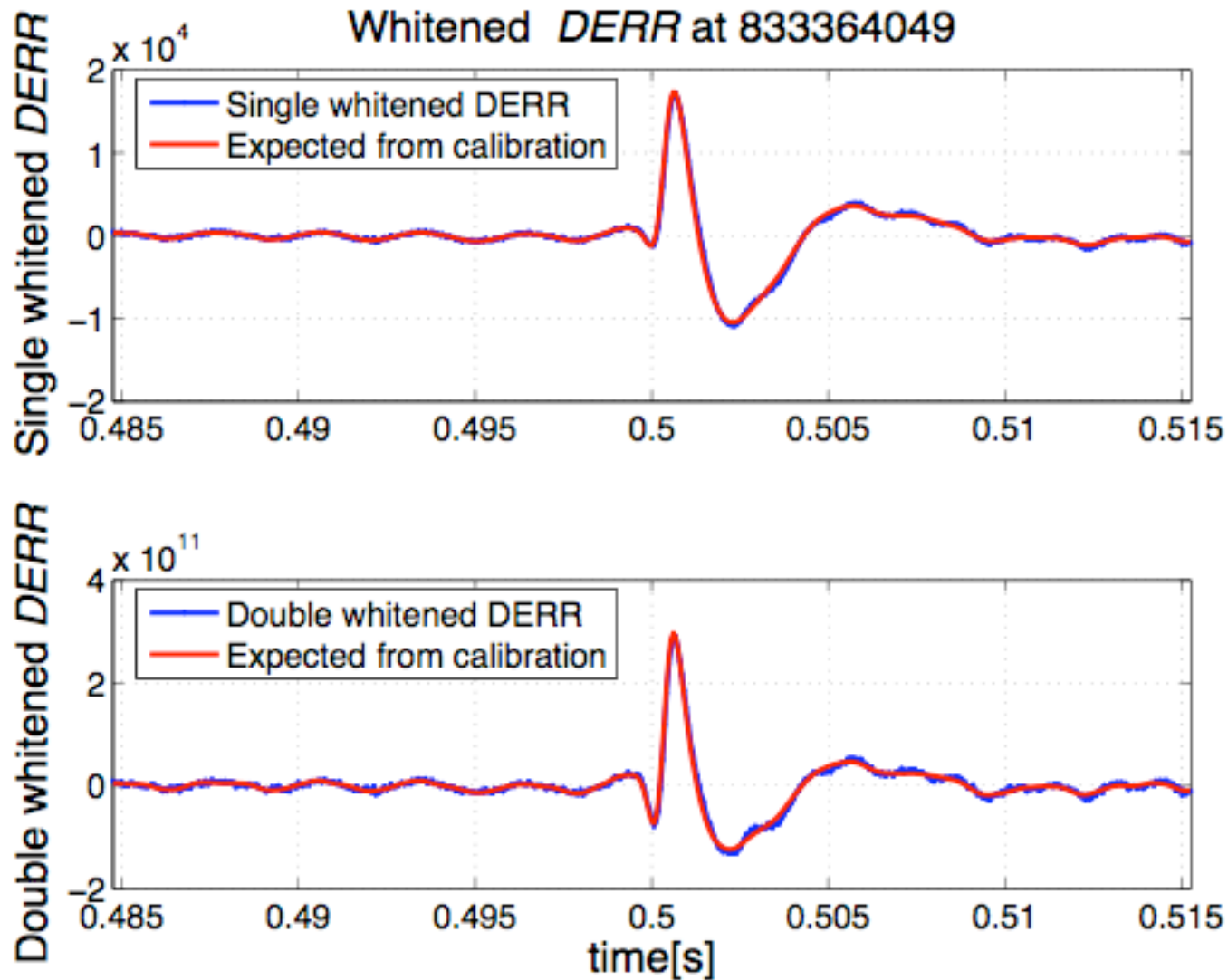
➤ Single whitening filter: $sw(t) = \int_0^\infty \frac{derr(f)}{\sqrt{S(f)}} e^{-2\pi i f t} df$

➤ Double whitening filter: $dw(t) = \int_0^\infty \frac{derr(f)}{S(f)} e^{-2\pi i f t} df$

- Noise estimate, $S(f)$, from two 50s long data before and after injection period.



Whitened *DERR* or whitened impulse response

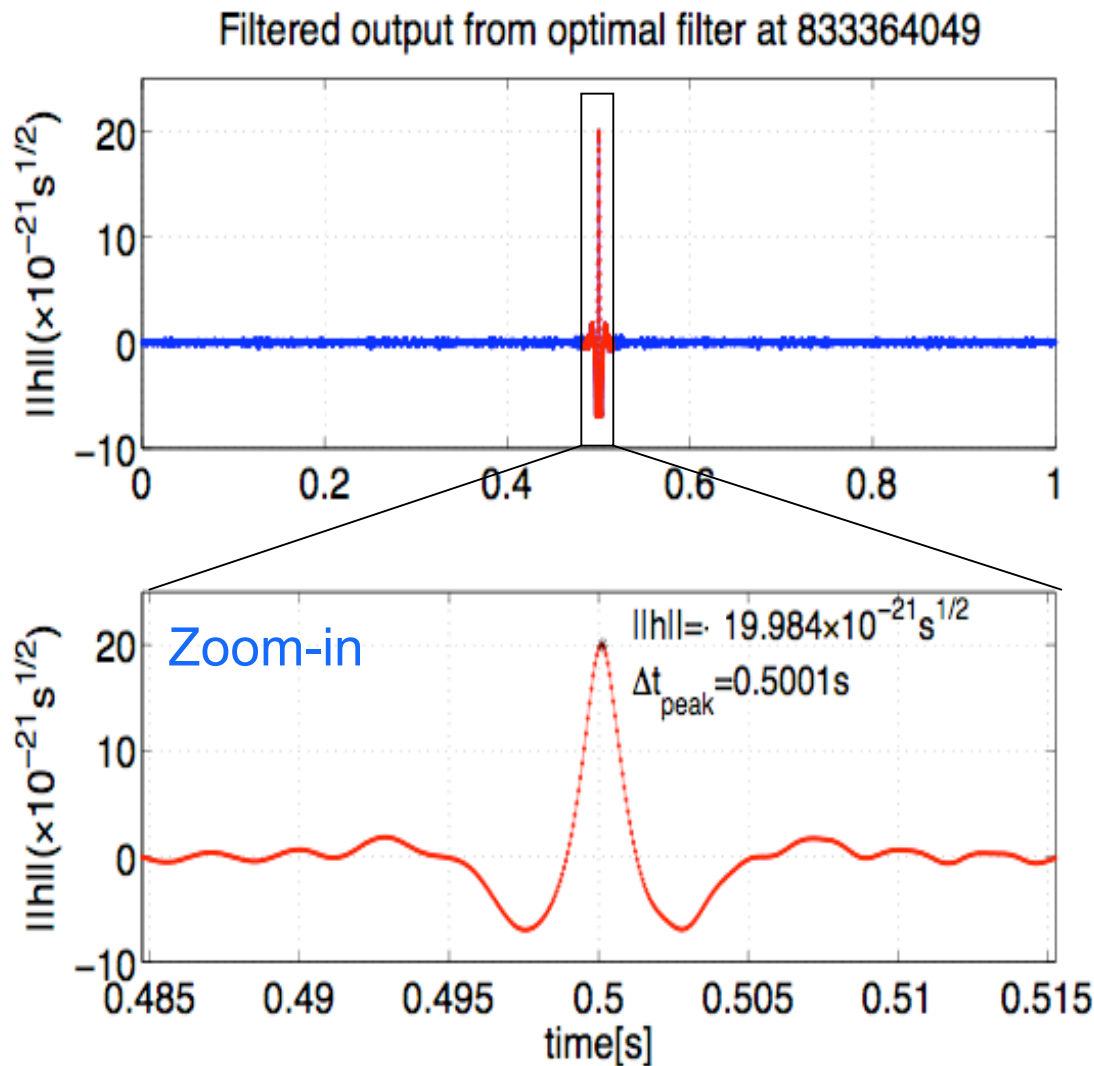


Optimal Linear Filter

$$\|h(t)\| = N_\alpha \int_0^\infty \frac{d_\alpha^*(f) d_{err}(f)}{S(f)} e^{-2\pi i f t} df$$

- A standard method from classical signal processing.
- Matched filter study: template from injected waveforms with the detector response function (Calibration):
$$d_\alpha(f) = h_{inj}(f) / R(f)$$
- Optimized for the measured stationary noise of detector - Double whitening.
- It is also a *linear* measure of the strength;
 - Choose normalization so $\|h\|$ is unbiased estimate of true h_{rss} of this waveform.
 - Response functions cancel , i.e., the equivalent expressions for either *observable* $DERR(t)$ or *strain* $s(t)$.

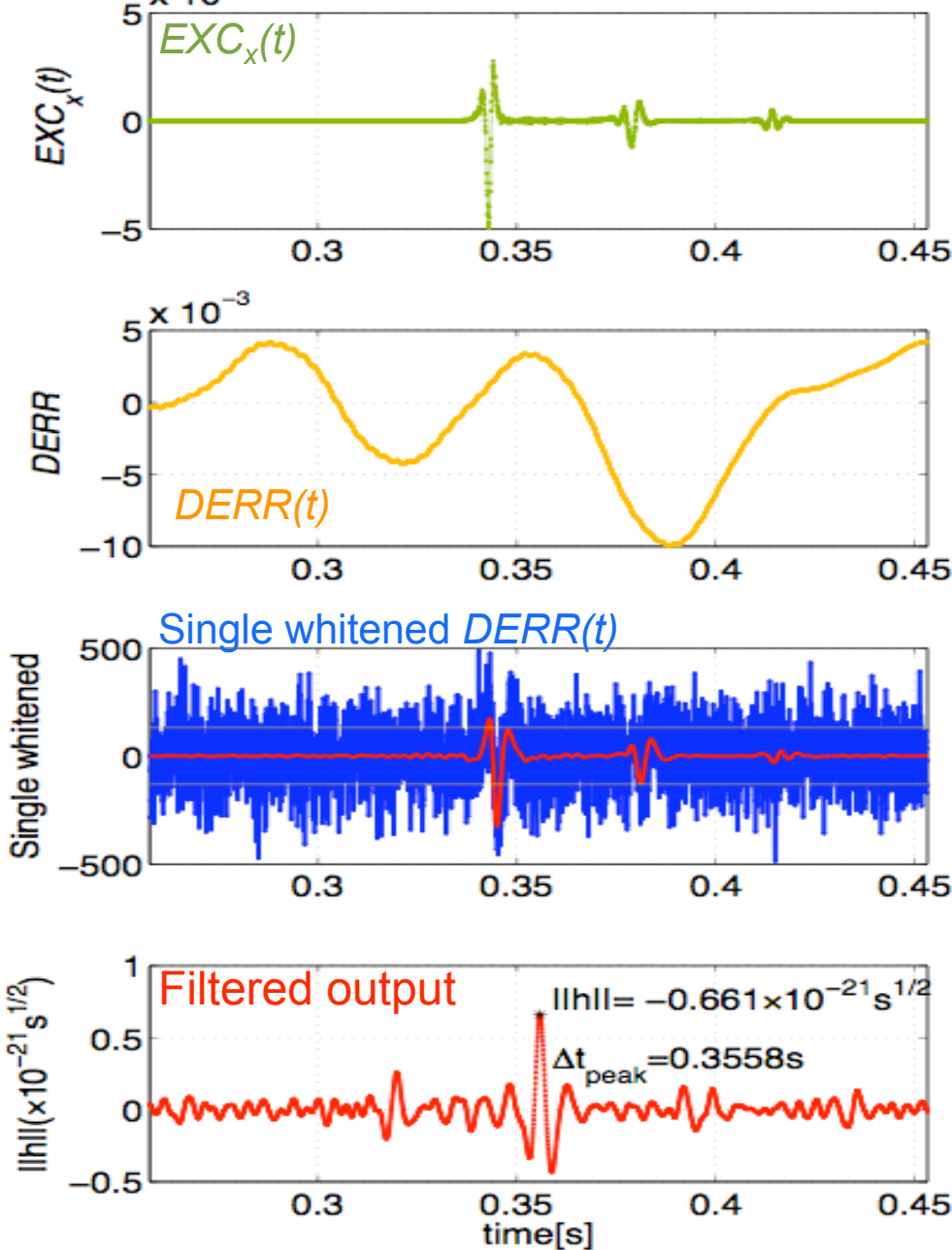
Filtered output from loud Gaussian



- Strength Measurement
 - Injected: $20 \times 10^{-21} \text{ s}^{1/2}$
 - Measured: $19.984 \times 10^{-21} \text{ s}^{1/2}$
 - rms(noise): $0.0357 \times 10^{-21} \text{ s}^{1/2}$
- Time measurement
 - Injected time offset: 0.5 s
 - Measured time offset: 0.5001 s

Zwenger-Mueller at 826642540 centered at $\Delta t = 0.3555s$

Supernova waveform: Zwenger-Mueller (A3B3G1)



- Strength Measurement

- Injected: $0.6 \times 10^{-21} s^{1/2}$
- Measured: $0.661 \times 10^{-21} s^{1/2}$
- rms(noise): $0.04168 \times 10^{-21} s^{1/2}$

- Time Measurement

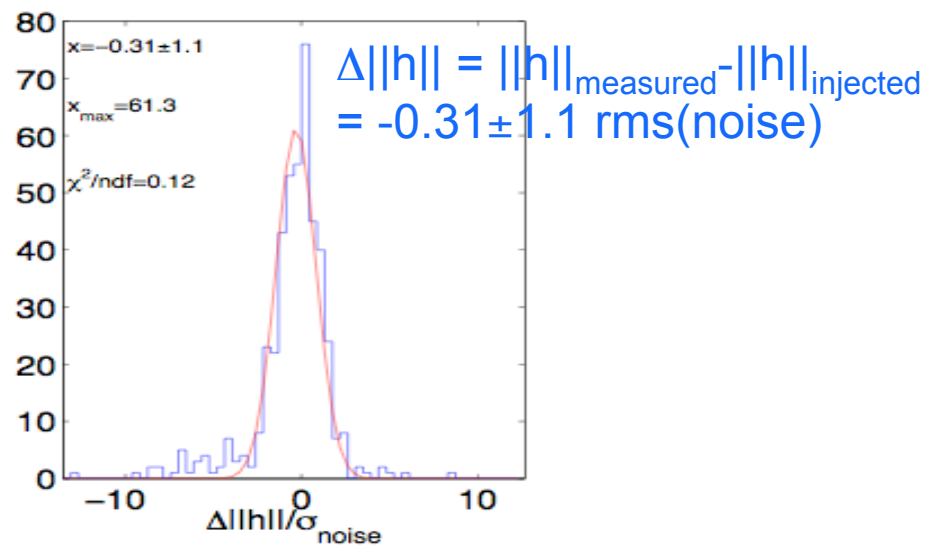
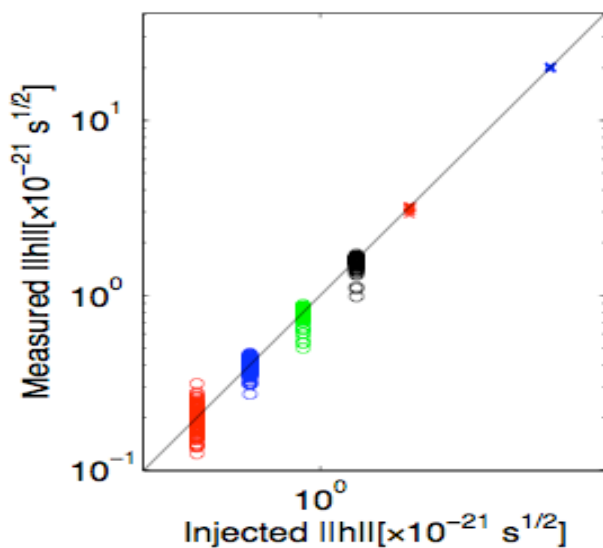
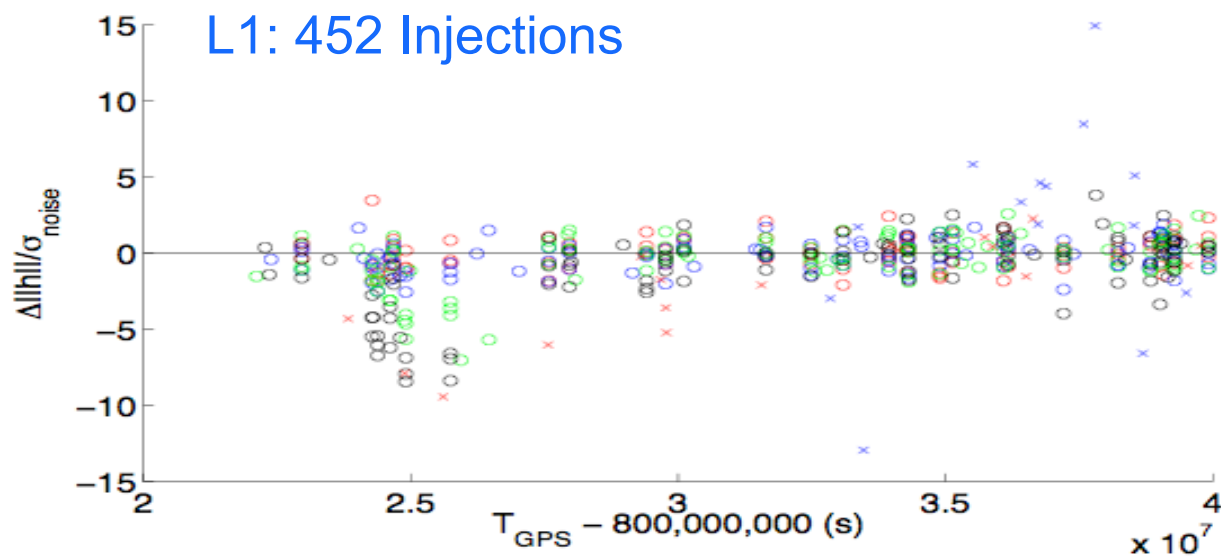
- Injected offset: 0.3555s
- Measured offset: 0.3558s

Hardware injection monitoring

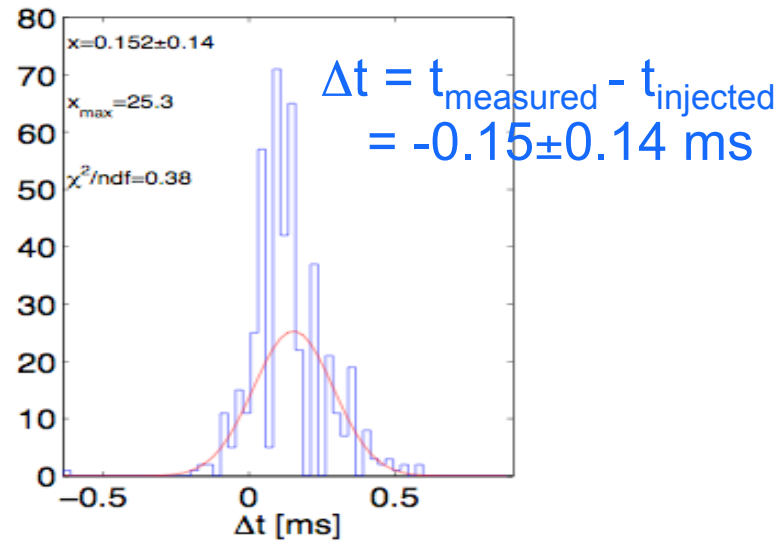
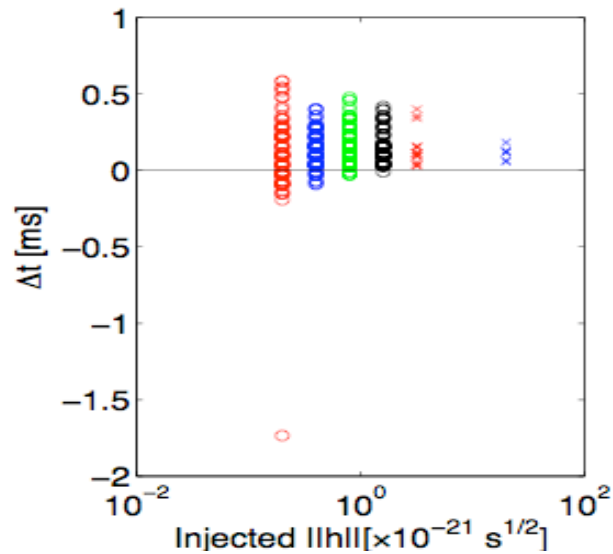
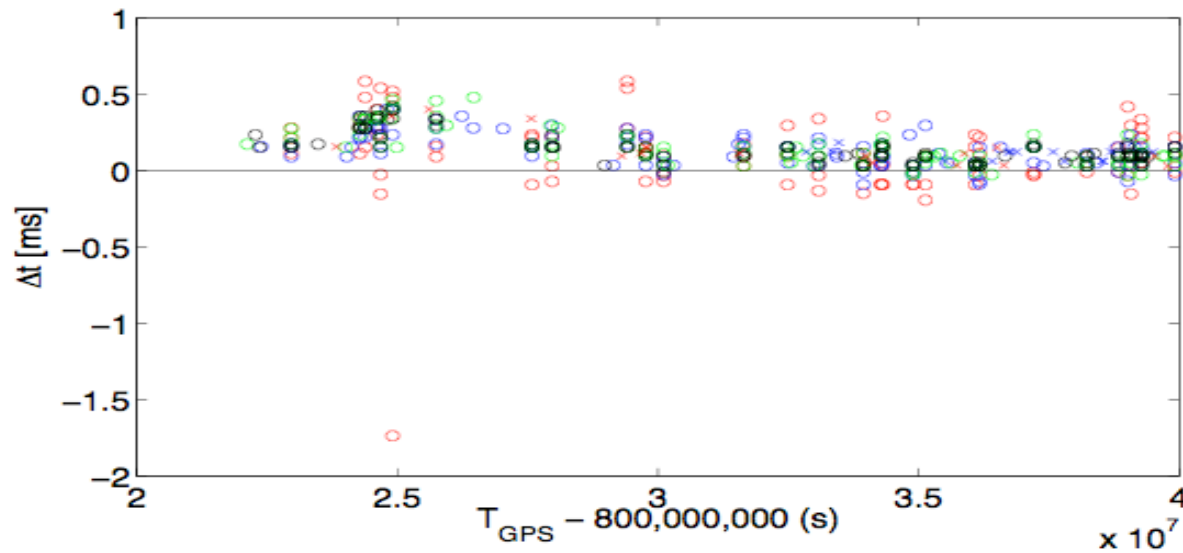
- snapshot of online display for scimons -

Intended Injection Parameters	Resulting Waveforms	Results $\epsilon_{ij} \equiv (\text{hrss}_{\text{expected}} - \text{hrss}_{\text{peak}}) / \sigma_{\text{noise}}$ $\sigma_{\text{noise}}: \text{rms}(\text{noise})$	Direct Response (DARM_ERR whitened)
$T_{\text{inj}}=832561960$ Sine-Gaussian $f=70\text{Hz}$ $Q=9$ $t_{\text{offset}}=0.798\text{ s}$ $\text{hrss}=8 \times 10^{-21}\text{ s}^{1/2}$		$\text{hrss}_{\text{peak}} = -8.292 \times 10^{-21}\text{ s}^{1/2}$ $\epsilon_{ij} = -5.243$, $\sigma = 5.560 \times 10^{-23}\text{ s}^{1/2}$ $\Delta t_{\text{peak}} = 0.7980\text{ s}$ $\delta(\Delta t) = -0.0000\text{ s}$ Mismatched Filter Study	$\chi^2 = 0.874915(\text{sw}), 0.859358(\text{dw})$
$T_{\text{inj}}=832561970$ Sine-Gaussian $f=914\text{Hz}$ $Q=9$ $t_{\text{offset}}=0.798\text{ s}$ $\text{hrss}=4.8 \times 10^{-21}\text{ s}^{1/2}$		$\text{hrss}_{\text{peak}} = -4.809 \times 10^{-21}\text{ s}^{1/2}$ $\epsilon_{ij} = -0.106$, $\sigma = 8.468 \times 10^{-23}\text{ s}^{1/2}$ $\Delta t_{\text{peak}} = 0.7980\text{ s}$ $\delta(\Delta t) = -0.0000\text{ s}$ Mismatched Filter Study	$\chi^2 = 1.720755(\text{sw}), 1.665454(\text{dw})$
$T_{\text{inj}}=832561980$ Band-Limited White Noise Burst $f=250\text{Hz}$ $\delta f=100\text{Hz}$ $\sigma=30\text{ms}$ $t_{\text{offset}}=0.798\text{ s}$ $\text{hrss}=1.4762 \times 10^{-21}\text{ s}^{1/2}$		$\text{hrss}_{\text{peak}} = -1.474 \times 10^{-21}\text{ s}^{1/2}$ $\epsilon_{ij} = 0.092$, $\sigma = 2.803 \times 10^{-23}\text{ s}^{1/2}$ $\Delta t_{\text{peak}} = 0.7980\text{ s}$ $\delta(\Delta t) = -0.0000\text{ s}$ Mismatched Filter Study	$\chi^2 = 1.060200(\text{sw}), 0.962461(\text{dw})$

Gaussian $\sigma=1\text{ms}$: Strength Measurement

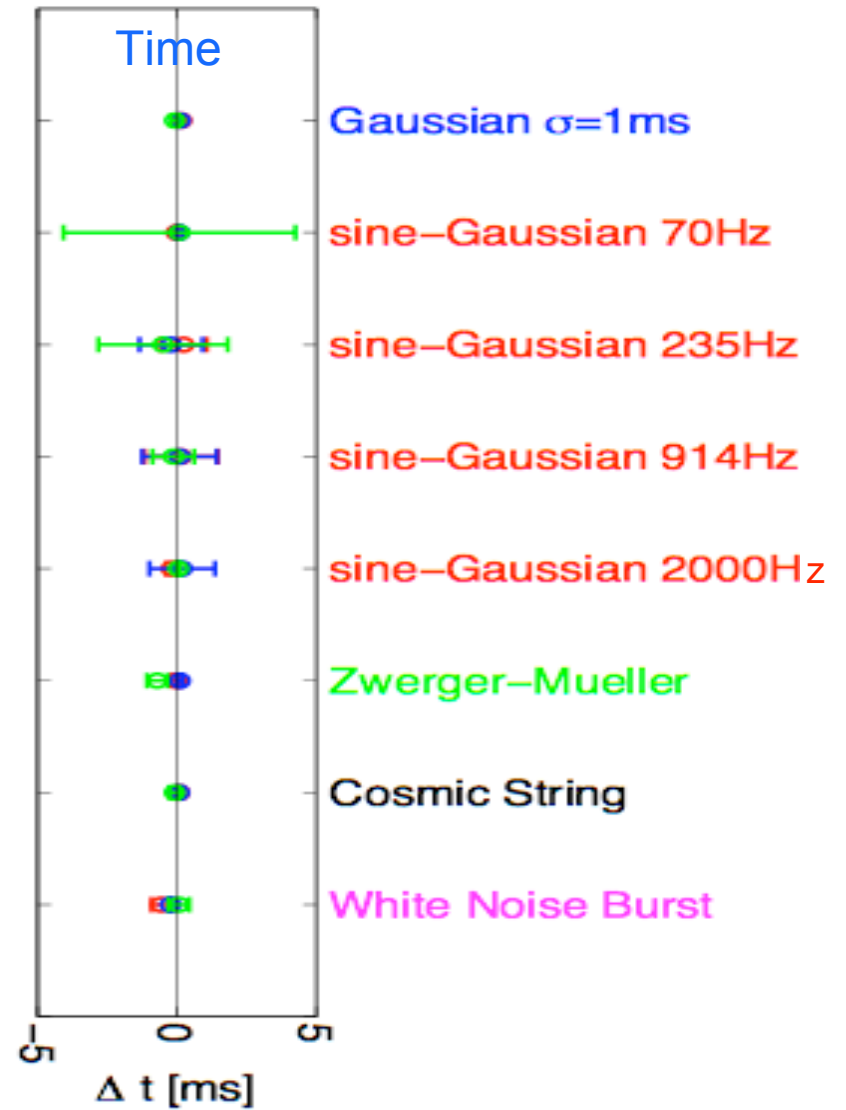
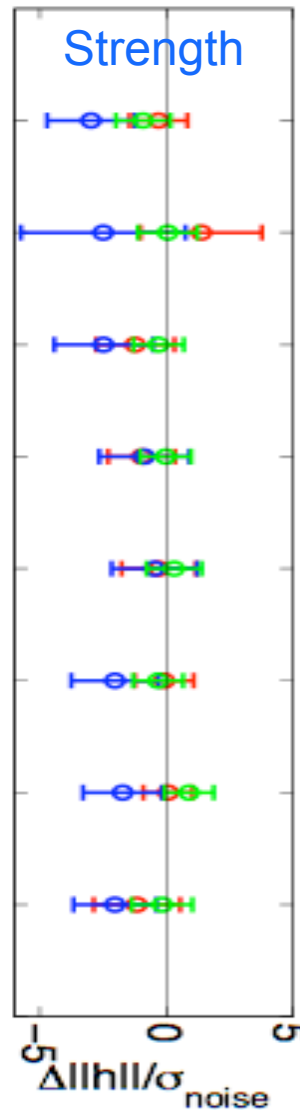
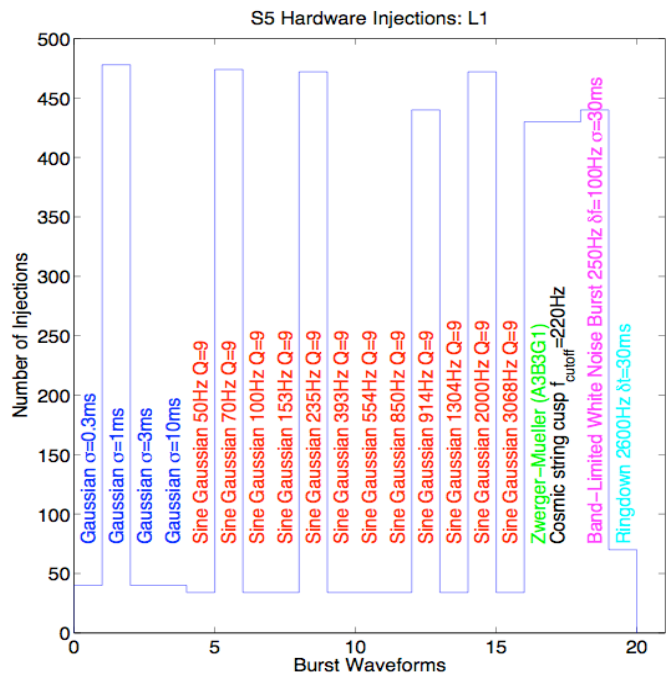


Gaussian $\sigma=1\text{ms}$: Time Measurement



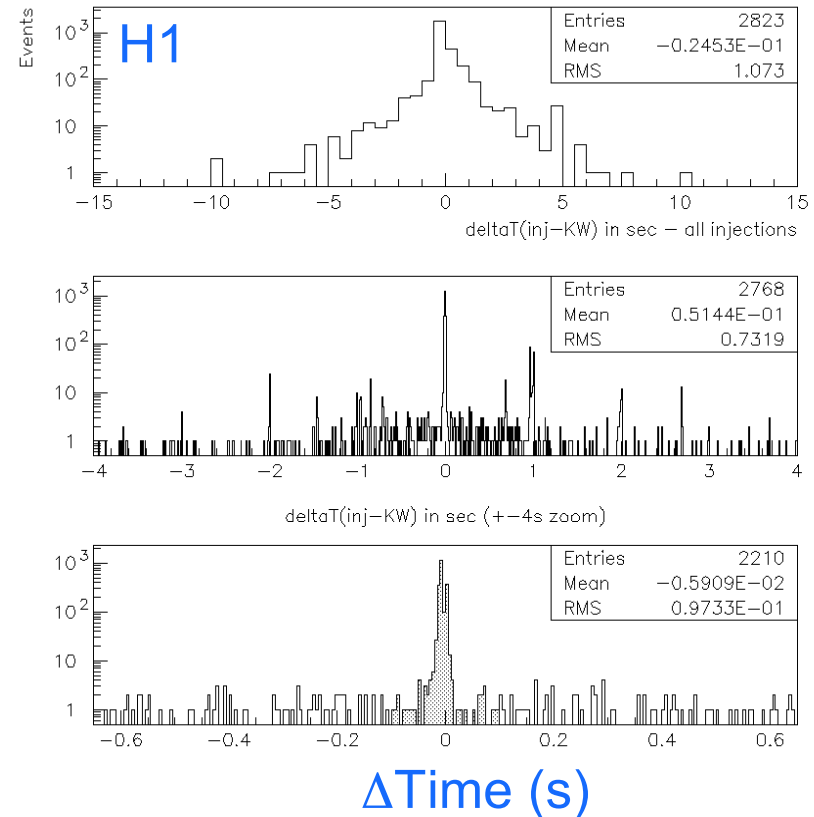
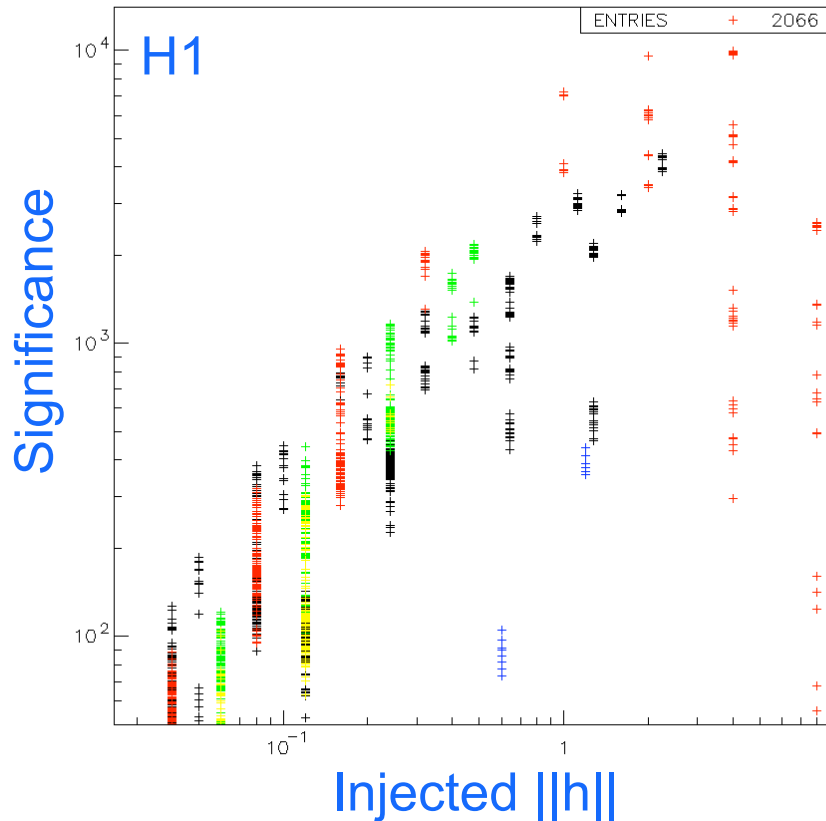
Measuring Burst Injections

- Jan. 19 - Aug. 23, 2006
- Number of injections:
 - H1 - 5018
 - H2 - 5958
 - L1 - 4098



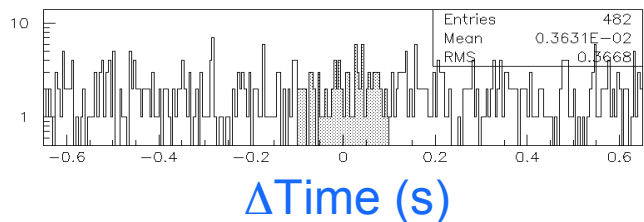
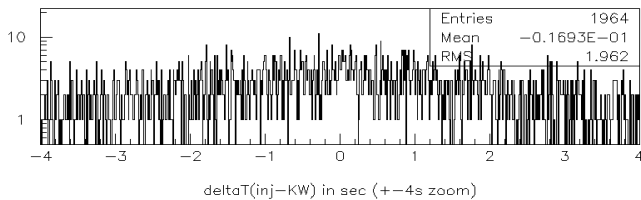
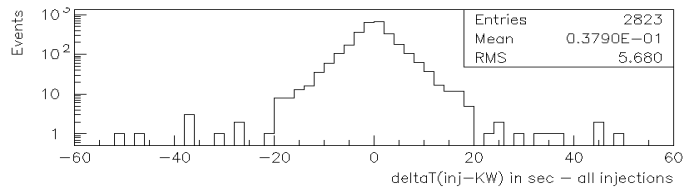
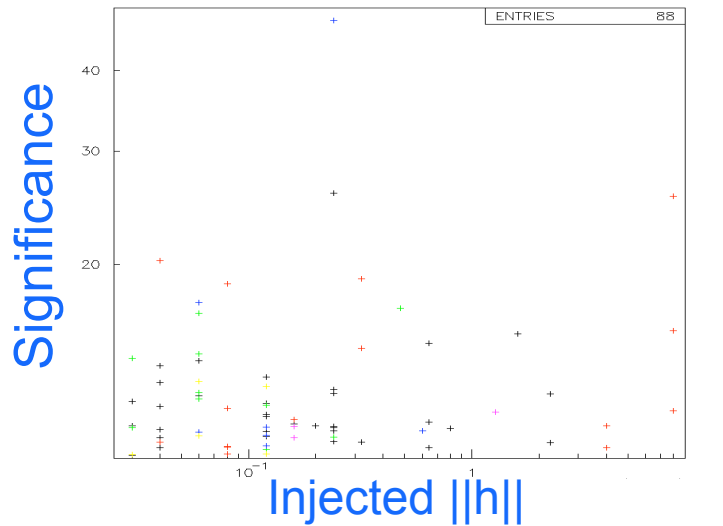
Veto Safety Study using Hardware Injection

- Transients identified by KleineWelle algorithm on auxiliary data channels at the time of injections
- Injections from 272 days of S5 run
- From *DERR*:

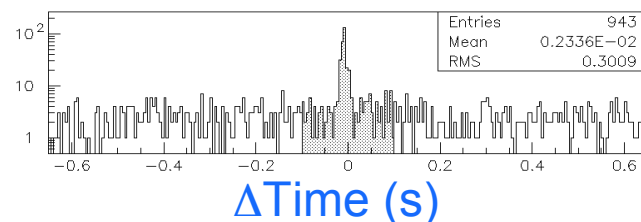
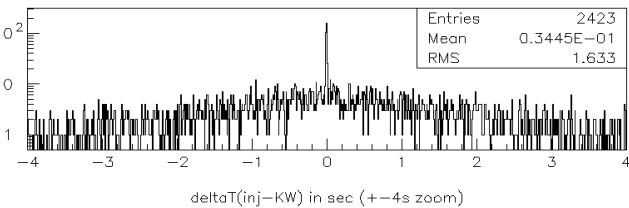
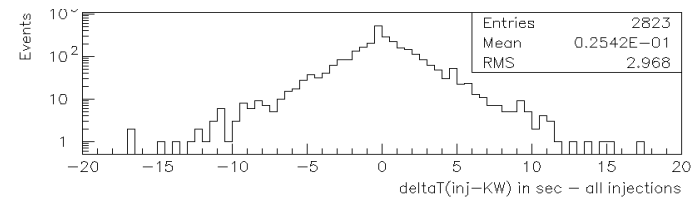
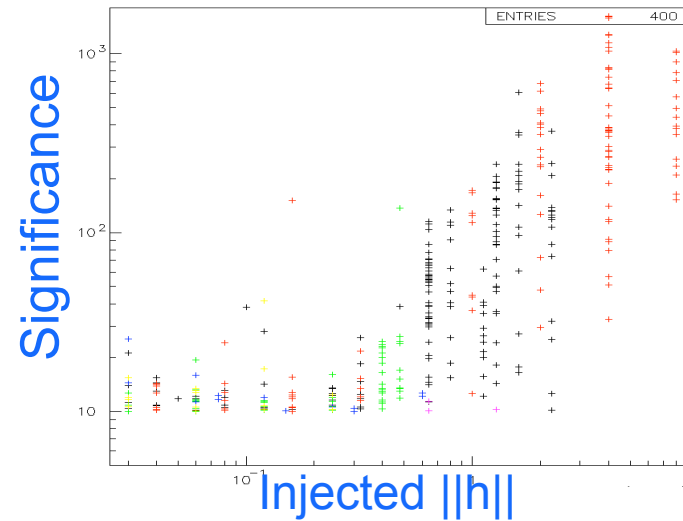


Veto Safety Study using Hardware Injection

- RMP(Recycling Mirror Pitch) - Safe



- ASI(Antisymmetric port In-Phase) - Unsafe



Summary

- Hardware injection provides very useful tools to understand the performance of interferometers.
- Injections during S5 are analyzed by using
 - Whitening filters
 - Optimal linear filters
 - KleineWelle algorithm
- Prompt result from hardware injections is available and used as a diagnosis tool.
- From statistical study, detector response to injected waveforms is analyzed.
- Veto safety study on auxiliary data channels with transients from KleineWelle algorithm.